

The following are derivations of the output motions available in FAST for a 2-bladed turbine configuration. The motions for a 3-bladed turbine are very similar. Note that some of the motions are given multiple names in order to support variation among the user's preferences.

### Blade 1 Tip Motions:

$$OoPDefl1 = TipDxc1 = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{i}_1^{BI} \quad \text{Blade 1 OoP tip deflection (relative to rotor) (directed along the xc1-axis), (m)}$$

$$IPDefl1 = TipDyc1 = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{i}_2^{BI} \quad \text{Blade 1 IP tip deflection (relative to rotor) (directed along the yc1-axis), (m)}$$

$$TipDxb1 = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{j}_1^{BI} \quad \text{Blade 1 flapwise tip deflection (relative to rotor) (directed along the xb1-axis), (m)}$$

$$TipDyb1 = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{j}_2^{BI} \quad \text{Blade 1 edgewise tip deflection (relative to rotor) (directed along the yb1-axis), (m)}$$

$$TipDzc1 = TipDzb1 = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{i}_3^{BI} = \left[ \mathbf{r}^{OS1} (BldFlexL) - TipRad\mathbf{j}_3^{BI} \right] \cdot \mathbf{j}_3^{BI} \quad \text{Blade 1 axial tip deflection (relative to rotor) (directed along the zc1-/zb1-axis), (m)}$$

$$TipALxb1 = {}^E \mathbf{a}^{SI} (BldFlexL) \cdot \mathbf{n}_1^{BI} (BldFlexL) \quad \text{Blade 1 flapwise tip acceleration (absolute) (directed along the xb1-axis), (m/sec}^2\text{)}$$

$$TipALyb1 = {}^E \mathbf{a}^{SI} (BldFlexL) \cdot \mathbf{n}_2^{BI} (BldFlexL) \quad \text{Blade 1 edgewise tip acceleration (absolute) (directed along the yb1-axis), (m/sec}^2\text{)}$$

$$TipALzbl = {}^E \mathbf{a}^{SI} (BldFlexL) \cdot \mathbf{n}_3^{BI} (BldFlexL) \quad \text{Blade 1 axial tip acceleration (absolute) (directed along the zc1-/zb1-axis), (m/sec}^2\text{)}$$

$$RollDefl1 = TipRDxb1 = \left( \frac{180}{\pi} \right) {}^H \boldsymbol{\theta}^{MI} (BldFlexL) \cdot \mathbf{j}_1^{BI} \quad \text{Blade 1 roll tip deflection (relative to the undeflected position), (about the xb1-axis), (deg)}$$

$$PtchDefl1 = TipRDyb1 = \left( \frac{180}{\pi} \right) {}^H \boldsymbol{\theta}^{MI} (BldFlexL) \cdot \mathbf{j}_2^{BI} \quad \text{Blade 1 pitch tip deflection (relative to the undeflected position), (about the yb1-axis), (deg)}$$

where:  ${}^H \boldsymbol{\theta}^{MI} (BldFlexL) = {}^E \boldsymbol{\omega}_{BIF1}^{MI} (BldFlexL) q_{BIF1} + {}^E \boldsymbol{\omega}_{BIE1}^{MI} (BldFlexL) q_{BIE1} + {}^E \boldsymbol{\omega}_{BIF2}^{MI} (BldFlexL) q_{BIF2}$

$$TipClrnc1 = TwrClrnc1 = Tip2Twr1 =$$

$$\begin{cases} \sqrt{\left[ \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_1 \right]^2 + \left[ \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_2 \right]^2 + \left[ \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_3 \right]^2} & \text{for } \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_2 > 0 \\ \sqrt{\left[ \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_1 \right]^2 + \left[ \mathbf{r}^{OS1} (BldFlexL) \cdot \mathbf{d}_3 \right]^2} & \text{otherwise} \end{cases} \quad \text{Blade 1 tip-to-tower clearance, (m)}$$

where:  $\mathbf{r}^{OS1} (BldFlexL) = \mathbf{r}^{OV} + \mathbf{r}^{VP} + \mathbf{r}^{PQ} + \mathbf{r}^{OS1} (BldFlexL)$

Blade 1 Local Span Motions:

$$SpniALxb1 = {}^E \mathbf{a}^{SI} (R^{Span i}) \cdot \mathbf{n}_1^{BI} (R^{Span i})$$

1,2,...,5), (m/sec<sup>2</sup>)Blade 1 local flapwise acceleration (absolute) of span station  $i$  (directed along the *local* xb1-axis) ( $i =$ 

$$SpniALyb1 = {}^E \mathbf{a}^{SI} (R^{Span i}) \cdot \mathbf{n}_2^{BI} (R^{Span i})$$

1,2,...,5), (m/sec<sup>2</sup>)Blade 1 local edgewise acceleration (absolute) of span station  $i$  (directed along the *local* yb1-axis) ( $i =$ 

$$SpniALzb1 = {}^E \mathbf{a}^{SI} (R^{Span i}) \cdot \mathbf{n}_3^{BI} (R^{Span i})$$

1,2,...,5), (m/sec<sup>2</sup>)Blade 1 axial acceleration (absolute) of span station  $i$  (directed along the zc1-/zb1-/local zb1-axis) ( $i =$ Blade 2 Tip Motions:

The output motions of blade 2 are similar to those of blade 1.

Blade Pitch Motions:

$$BldPitch1 = PtchPMzc1 = PtchPMzb1 = \left( \frac{180}{\pi} \right) BlPitch(1)$$

/minus zb1-axis), (deg)

Blade 1 pitch angle (position) (positive towards feather / about the *minus* zc1-

$$BldPitch2 = PtchPMzc2 = PtchPMzb2 = \left( \frac{180}{\pi} \right) BlPitch(2)$$

/minus zb2-axis), (deg)

Blade 2 pitch angle (position) (positive towards feather / about the *minus* zc2-Teeter Motions:

$$TeetDefl = RotTeetP = TeetPya = \left( \frac{180}{\pi} \right) q_{Teet}$$

Rotor teeter angle (position) (about the ya-axis), (deg)

$$RotTeetV = TeetVya = \left( \frac{180}{\pi} \right) \dot{q}_{Teet}$$

Rotor teeter angular velocity (about the ya-axis), (deg/sec)

$$RotTeetA = TeetAya = \left( \frac{180}{\pi} \right) \ddot{q}_{Teet}$$

Rotor teeter angular acceleration (about the ya-axis), (deg/sec<sup>2</sup>)

Shaft Motions:

$$Azimuth = LSSTipP = LSSTipPxa = LSSTipPxs = MOD \left[ \left( \frac{180}{\pi} \right) (q_{DrTr} + q_{GeAz}) + AzimBIUp + 90, 360 \right]$$

Rotor azimuth angle (position) (about the xa-/xs-axis), (deg)

$$RotSpeed = LSSTipV = LSSTipVxa = LSSTipVxs = \left( \frac{60}{2\pi} \right) (\dot{q}_{DrTr} + \dot{q}_{GeAz})$$

Rotor azimuth speed / angular velocity (about the xa-/xs-axis), (rpm)

$$RotAccel = LSSTipA = LSSTipAxa = LSSTipAxs = \left( \frac{180}{\pi} \right) (\ddot{q}_{DrTr} + \ddot{q}_{GeAz})$$

Rotor azimuth angular acceleration (about the xa-/xs-axis), (deg/sec<sup>2</sup>)

$$LSSGagP = LSSGagPxa = LSSGagPxs = MOD \left[ \left( \frac{180}{\pi} \right) q_{GeAz} + AzimBIUp + 90, 360 \right]$$

Low-speed shaft strain gage azimuth angle (position) (on the gearbox side of the low-speed shaft) (about the xa-/xs-axis), (deg)

$$LSSGagV = LSSGagVxa = LSSGagVxs = \left( \frac{60}{2\pi} \right) \dot{q}_{GeAz}$$

Low-speed shaft strain gage angular velocity (on the gearbox side of the low-speed shaft) (about the xa-/xs-axis), (rpm)

$$LSSGagA = LSSGagAxa = LSSGagAxs = \left( \frac{180}{\pi} \right) \ddot{q}_{GeAz}$$

Low-speed shaft strain gage angular acceleration (on the gearbox side of the low-speed shaft) (about the xa-/xs-axis), (deg/sec<sup>2</sup>)

$$HSShftV = \left( \frac{60}{2\pi} \right) GBRatio \cdot \dot{q}_{GeAz}$$

High-speed shaft speed / angular velocity, (rpm)

$$HSShftA = \left( \frac{180}{\pi} \right) GBRatio \cdot \ddot{q}_{GeAz}$$

High-speed shaft angular acceleration, (deg/sec<sup>2</sup>)

$$TipSpdRat = TSR = \frac{(q_{DrTr} + q_{GeAz}) AvgNrmTpRd}{WindVxt}$$

Tip speed ratio, (-)

Nacelle IMU Motions:

$$NcIMUTV_{xs} = {}^E \mathbf{v}^{IMU} \cdot \mathbf{c}_1$$

Nacelle IMU translational velocity (directed along the xs-axis), (m/sec)

$$NcIMUTV_{ys} = -{}^E \mathbf{v}^{IMU} \cdot \mathbf{c}_3$$

Nacelle IMU translational velocity (directed along the ys-axis), (m/sec)

$$NcIMUTV_{zs} = {}^E \mathbf{v}^{IMU} \cdot \mathbf{c}_2$$

Nacelle IMU translational velocity (directed along the zs-axis), (m/sec)

$$NcIMUTAx_s = {}^E \mathbf{a}^{IMU} \cdot \mathbf{c}_1$$

Nacelle IMU translational acceleration (directed along the xs-axis), (m/sec<sup>2</sup>)

$$NcIMUTAy_s = -{}^E \mathbf{a}^{IMU} \cdot \mathbf{c}_3$$

Nacelle IMU translational acceleration (directed along the ys-axis), (m/sec<sup>2</sup>)

$$NcIMUTAz_s = {}^E \mathbf{a}^{IMU} \cdot \mathbf{c}_2$$

Nacelle IMU translational acceleration (directed along the zs-axis), (m/sec<sup>2</sup>)

$$NcIMURV_{xs} = \left( \frac{180}{\pi} \right) {}^E \boldsymbol{\omega}^R \cdot \mathbf{c}_1$$

Nacelle IMU angular (rotational) velocity (about the xs-axis), (deg/sec)

$$NcIMURV_{ys} = -\left( \frac{180}{\pi} \right) {}^E \boldsymbol{\omega}^R \cdot \mathbf{c}_3$$

Nacelle IMU angular (rotational) velocity (about the ys-axis), (deg/sec)

$$NcIMURV_{zs} = \left( \frac{180}{\pi} \right) {}^E \boldsymbol{\omega}^R \cdot \mathbf{c}_2$$

Nacelle IMU angular (rotational) velocity (about the zs-axis), (deg/sec)

$$NcIMURAx_s = \left( \frac{180}{\pi} \right) {}^E \boldsymbol{\alpha}^R \cdot \mathbf{c}_1$$

Nacelle IMU angular (rotational) acceleration (about the xs-axis), (deg/sec<sup>2</sup>)

$$NcIMURAy_s = -\left( \frac{180}{\pi} \right) {}^E \boldsymbol{\alpha}^R \cdot \mathbf{c}_3$$

Nacelle IMU angular (rotational) acceleration (about the ys-axis), (deg/sec<sup>2</sup>)

$$NcIMURAz_s = \left( \frac{180}{\pi} \right) {}^E \boldsymbol{\alpha}^R \cdot \mathbf{c}_2$$

Nacelle IMU angular (rotational) acceleration (about the zs-axis), (deg/sec<sup>2</sup>)

Rotor-Furl Motions:

$$RotFurl = RotFurlP = \left( \frac{180}{\pi} \right) q_{RFrl}$$

Rotor-furl angle (position) (about the rotor-furl axis), (deg)

$$RotFurlV = \left( \frac{180}{\pi} \right) \dot{q}_{RFrl}$$

Rotor-furl angular velocity (about the rotor-furl axis), (deg/sec)

$$RotFurlA = \left( \frac{180}{\pi} \right) \ddot{q}_{RFrl}$$

Rotor-furl angular acceleration (about the rotor-furl axis), (deg/sec<sup>2</sup>)

Yaw Motions:

$$NacYaw = NacYawP = YawPzn = YawPzp = \left(\frac{180}{\pi}\right) q_{Yaw}$$

Nacelle yaw angle (position) (about the zn-/zp-axis), (deg)

$$NacYawV = YawVzn = YawVzp = \left(\frac{180}{\pi}\right) \dot{q}_{Yaw}$$

Nacelle yaw angular velocity (about the zn-/zp-axis), (deg/sec)

$$NacYawA = YawAzn = YawAzp = \left(\frac{180}{\pi}\right) \ddot{q}_{Yaw}$$

Nacelle yaw angular acceleration (about the zn-/zp-axis), (deg/sec<sup>2</sup>)

$$NacYawErr = HorWndDir - NacYaw - YawBrRDzt - PtfmYaw$$

Nacelle yaw error (about the zt-axis), (deg)

Tower-Top Motions:

$$YawBrTDxp = \left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{b}_1$$

(directed along the xp-axis), (m)

Tower-top / yaw bearing translational deflection (relative to undeflected position)

$$YawBrTDyp = -\left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{b}_3$$

(directed along the yp-axis), (m)

Tower-top / yaw bearing translational deflection (relative to undeflected position)

$$YawBrTDzp = \left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{b}_2$$

(directed along the zp-axis), (m)

Tower-top / yaw bearing translational deflection (relative to undeflected position)

$$TTDspFA = YawBrTDxt = \left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{a}_1$$

position) (directed along the xt-axis), (m)

Tower-top / yaw bearing fore-aft (translational) deflection (relative to undeflected position)

$$TTDspSS = YawBrTDyt = -\left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{a}_3$$

undeflected position) (directed along the yt-axis), (m)

Tower-top / yaw bearing side-to-side (translational) deflection (relative to undeflected position)

$$TTDspAx = YawBrTDzt = \left[ \mathbf{r}^{z0} - (TowerHt + PtfmRe f) \mathbf{a}_2 \right] \cdot \mathbf{a}_2$$

position) (directed along the zt-axis), (m)

Tower-top / yaw bearing axial (translational) deflection (relative to undeflected position)

$$YawBrTExp = {}^E \mathbf{a}^0 \cdot \mathbf{b}_1$$

Tower-top / yaw bearing translational acceleration (directed along the xp-axis), (m/sec<sup>2</sup>)

$$YawBrTAyp = -{}^E \mathbf{a}^0 \cdot \mathbf{b}_3$$

Tower-top / yaw bearing translational acceleration (directed along the yp-axis), (m/sec<sup>2</sup>)

$$YawBrTAzp = {}^E \mathbf{a}^0 \cdot \mathbf{b}_2$$

Tower-top / yaw bearing translational acceleration (directed along the zp-axis), (m/sec<sup>2</sup>)

$$TTDspRoll = YawBrRDxt = \left(\frac{180}{\pi}\right)^x \theta^B \cdot \mathbf{a}_1$$

(deg)

Tower-top / yaw bearing roll deflection (relative to the undeflected position) (about the xt-axis),

$$TTDspPtch = YawBrRDyt = -\left(\frac{180}{\pi}\right) {}^X\theta^B \cdot \mathbf{a}_3 \quad \text{Tower-top / yaw bearing pitch deflection (relative to the undeflected position) (about the yt-axis),}$$

(deg)

$$\text{where: } {}^X\theta^B = {}^E\omega_{TFA1}^B q_{TFA1} + {}^E\omega_{TSS1}^B q_{TSS1} + {}^E\omega_{TFA2}^B q_{TFA2} + {}^E\omega_{TSS2}^B q_{TSS2}$$

$$YawBrRVxp = \left(\frac{180}{\pi}\right) {}^E\omega^B \cdot \mathbf{b}_1 \quad \text{Tower-top / yaw bearing angular (rotational) velocity (about the xp-axis), (deg/sec)}$$

$$YawBrRVyp = -\left(\frac{180}{\pi}\right) {}^E\omega^B \cdot \mathbf{b}_3 \quad \text{Tower-top / yaw bearing angular (rotational) velocity (about the yp-axis), (deg/sec)}$$

$$YawBrRVzp = \left(\frac{180}{\pi}\right) {}^E\omega^B \cdot \mathbf{b}_2 \quad \text{Tower-top / yaw bearing angular (rotational) velocity (about the zp-axis), (deg/sec)}$$

$$YawBrRAxp = \left(\frac{180}{\pi}\right) {}^E\alpha^B \cdot \mathbf{b}_1 \quad \text{Tower-top / yaw bearing angular (rotational) acceleration (about the xp-axis), (deg/sec}^2\text{)}$$

$$YawBrRAYp = -\left(\frac{180}{\pi}\right) {}^E\alpha^B \cdot \mathbf{b}_3 \quad \text{Tower-top / yaw bearing angular (rotational) acceleration (about the yp-axis), (deg/sec}^2\text{)}$$

$$YawBrRAzp = \left(\frac{180}{\pi}\right) {}^E\alpha^B \cdot \mathbf{b}_2 \quad \text{Tower-top / yaw bearing angular (rotational) acceleration (about the zp-axis), (deg/sec}^2\text{)}$$

Tower Local Gage Motions:

$$TwHtiALxt = {}^E\mathbf{a}^T \left( H^{Node i} \right) \cdot \mathbf{t}_1 \left( H^{Node i} \right) \quad \text{Tower local fore-aft translational acceleration (absolute) of node } i \text{ (directed along the } local \text{ xt-axis) (} i = 1, 2, \dots, 5\text{), (m/sec}^2\text{)}$$

$$TwHtiALyt = -{}^E\mathbf{a}^T \left( H^{Node i} \right) \cdot \mathbf{t}_3 \left( H^{Node i} \right) \quad \text{Tower local side-to-side translational acceleration (absolute) of node } i \text{ (directed along the } local \text{ yt-axis) (} i = 1, 2, \dots, 5\text{), (m/sec}^2\text{)}$$

$$TwHtiALzt = {}^E\mathbf{a}^T \left( H^{Node i} \right) \cdot \mathbf{t}_2 \left( H^{Node i} \right) \quad \text{Tower local axial translational acceleration (absolute) of node } i \text{ (directed along the } local \text{ zt-axis) (} i = 1, 2, \dots, 5\text{), (m/sec}^2\text{)}$$

Tail-Furl Motions:

$$TailFurl = TailFurlP = \left( \frac{180}{\pi} \right) q_{TFrl}$$

Tail-furl angle (position) (about the tail-furl axis), (deg)

$$TailFurlV = \left( \frac{180}{\pi} \right) \dot{q}_{TFrl}$$

Tail-furl angular velocity (about the tail-furl axis), (deg/sec)

$$TailFurlA = \left( \frac{180}{\pi} \right) \ddot{q}_{TFrl}$$

Tail-furl angular acceleration (about the tail-furl axis), (deg/sec<sup>2</sup>)

Platform Motions:

$$PtfmTDxt = \mathbf{r}^Z \cdot \mathbf{a}_1$$

Platform horizontal surge displacement (directed along the xt-axis), (m)

$$PtfmTDyt = -\mathbf{r}^Z \cdot \mathbf{a}_3$$

Platform horizontal sway displacement (directed along the yt-axis), (m)

$$PtfmTDzt = \mathbf{r}^Z \cdot \mathbf{a}_2$$

Platform vertical heave displacement (directed along the zt-axis), (m)

$$PtfmSurge = PtfmTDxi = q_{Sg}$$

Platform horizontal surge displacement (directed along the xi-axis), (m)

$$PtfmSway = PtfmTDyi = q_{Sw}$$

Platform horizontal sway displacement (directed along the yi-axis), (m)

$$PtfmHeave = PtfmTDzi = q_{Hv}$$

Platform vertical heave displacement (directed along the zi-axis), (m)

$$PtfmTVxt = {}^E \mathbf{v}^Z \cdot \mathbf{a}_1$$

Platform horizontal surge velocity (directed along the xt-axis), (m/sec)

$$PtfmTVyt = -{}^E \mathbf{v}^Z \cdot \mathbf{a}_3$$

Platform horizontal sway velocity (directed along the yt-axis), (m/sec)

$$PtfmTVzt = {}^E \mathbf{v}^Z \cdot \mathbf{a}_2$$

Platform vertical heave velocity (directed along the zt-axis), (m/sec)

$$PtfmTVxi = \dot{q}_{Sg}$$

Platform horizontal surge velocity (directed along the xi-axis), (m/sec)

$$PtfmTVyi = \dot{q}_{Sw}$$

Platform horizontal sway velocity (directed along the yi-axis), (m/sec)

$$PtfmTVzi = \dot{q}_{Hv}$$

Platform vertical heave velocity (directed along the zi-axis), (m/sec)

$$PtfmTAXt = {}^E \mathbf{a}^Z \cdot \mathbf{a}_1$$

Platform horizontal surge acceleration (directed along the xt-axis), (m/sec<sup>2</sup>)

$$PtfmTAYt = -{}^E \mathbf{a}^Z \cdot \mathbf{a}_3$$

Platform horizontal sway acceleration (directed along the yt-axis), (m/sec<sup>2</sup>)

$$PtfmTAzt = {}^E \mathbf{a}^Z \cdot \mathbf{a}_2$$

Platform vertical heave acceleration (directed along the zt-axis), (m/sec<sup>2</sup>)

$$PtfmTAXi = \ddot{q}_{Sg}$$

Platform horizontal surge acceleration (directed along the xi-axis), (m/sec<sup>2</sup>)

$$PtfmTAYi = \ddot{q}_{Sw}$$

Platform horizontal sway acceleration (directed along the yi-axis), (m/sec<sup>2</sup>)

$$PtfmTAzi = \ddot{q}_{Hv}$$

Platform vertical heave acceleration (directed along the zi-axis), (m/sec<sup>2</sup>)

$PtfmRoll = PtfmRDxi = \left(\frac{180}{\pi}\right)q_R$	Platform roll tilt displacement (about the xi-axis), (deg)
$PtfmPitch = PtfmRDyi = \left(\frac{180}{\pi}\right)q_P$	Platform pitch tilt displacement (about the yi-axis), (deg)
$PtfmYaw = PtfmRDzi = \left(\frac{180}{\pi}\right)q_Y$	Platform yaw displacement (about the zi-axis), (deg)
$PtfmRVxt = \left(\frac{180}{\pi}\right)^E \boldsymbol{\omega}^X \cdot \mathbf{a}_1$	Platform roll tilt velocity (about the xt-axis), (deg/sec)
$PtfmRVyt = -\left(\frac{180}{\pi}\right)^E \boldsymbol{\omega}^X \cdot \mathbf{a}_3$	Platform pitch tilt velocity (about the yt-axis), (deg/sec)
$PtfmRVzt = \left(\frac{180}{\pi}\right)^E \boldsymbol{\omega}^X \cdot \mathbf{a}_2$	Platform yaw velocity (about the zt-axis), (deg/sec)
$PtfmRVxi = \left(\frac{180}{\pi}\right)\dot{q}_R$	Platform roll tilt velocity (about the xi-axis), (deg/sec)
$PtfmRVyi = \left(\frac{180}{\pi}\right)\dot{q}_P$	Platform pitch tilt velocity (about the yi-axis), (deg/sec)
$PtfmRVzi = \left(\frac{180}{\pi}\right)\dot{q}_Y$	Platform yaw velocity (about the zi-axis), (deg/sec)
$PtfmRAxt = \left(\frac{180}{\pi}\right)^E \boldsymbol{\alpha}^X \cdot \mathbf{a}_1$	Platform roll tilt acceleration (about the xt-axis), (deg/sec <sup>2</sup> )
$PtfmRAYt = -\left(\frac{180}{\pi}\right)^E \boldsymbol{\alpha}^X \cdot \mathbf{a}_3$	Platform pitch tilt acceleration (about the yt-axis), (deg/sec <sup>2</sup> )
$PtfmRAzt = \left(\frac{180}{\pi}\right)^E \boldsymbol{\alpha}^X \cdot \mathbf{a}_2$	Platform yaw acceleration (about the zt-axis), (deg/sec <sup>2</sup> )
$PtfmRAXi = \left(\frac{180}{\pi}\right)\ddot{q}_R$	Platform roll tilt acceleration (about the xi-axis), (deg/sec <sup>2</sup> )
$PtfmRAYi = \left(\frac{180}{\pi}\right)\ddot{q}_P$	Platform pitch tilt acceleration (about the yi-axis), (deg/sec <sup>2</sup> )



$$PtfmRAzi = \left( \frac{180}{\pi} \right) \ddot{q}_Y$$

Platform yaw acceleration (about the zi-axis), (deg/sec<sup>2</sup>)

#### Tail-Furl Motions:

$$TFinAlpha = \left( \frac{180}{\pi} \right) TFinAOA$$

Tail fin angle of attack, (deg)

$$TFinCLift = TFinCL$$

Tail fin lift coefficient, (-)

$$TFinCDrag = TFinCD$$

Tail fin drag coefficient, (-)

$$TFinDnPrs = TFinQ$$

Tail fin dynamic pressure, (Pa)

$$TFinCPFx = TFinKFx / 1,000$$

Tail fin tangential force, (kN)

$$TFinCPFy = TFinKFy / 1,000$$

Tail fin normal force, (kN)

#### Wind Motions:

$$WindVxi = uWind$$

Nominal hub-height wind velocity (directed along the xi-axis), (m/s)

$$WindVyi = vWind$$

Cross-wind hub-height velocity (directed along the yi-axis), (m/s)

$$WindVzi = wWind$$

Vertical hub-height wind velocity (directed along the zi-axis), (m/s)

$$TotWindV = \sqrt{WindVxi^2 + WindVyi^2 + WindVzi^2}$$

Total hub-height wind velocity magnitude, (m/s)

$$HorWindV = \sqrt{WindVxi^2 + WindVyi^2}$$

Horizontal hub-height wind velocity magnitude (in the xi-/yi-plane), (m/s)

$$HorWndDir$$

Horizontal hub-height wind direction (about the zi-axis), (deg)

$$VerWndDir$$

Vertical hub-height wind direction (about an axis orthogonal to the zi-axis and the horizontal wind vector), (deg)